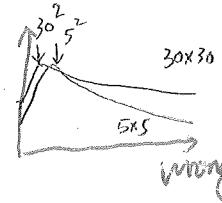


when FS ↑
 skin dose ↓.
 $d_{max} \downarrow \Rightarrow$ move to surface
 PDD ↑



wrong

Photon:

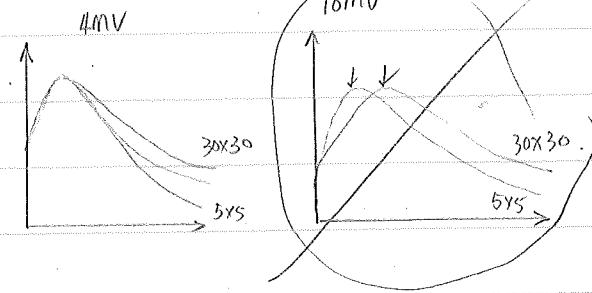
• PDD.

PDD ↑ with FS, E ↑

d_{max} not change with FS for low E

d_{max} ↑ with FS ↑ for high E

d_{max} independent of SSD for the same FS.



skin dose

	60	4MV	10MV	18MV
18	14	12	17	
70.5	57	30	28	
90	74	46	39.5	
98	84	55	47	

• Surface dose

E.

FS
block/tray/compensator/beam spoiler
oblique

- photon (30%40%) electron (80%-90%)

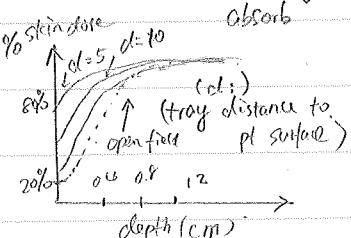
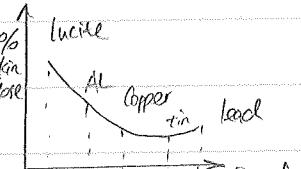
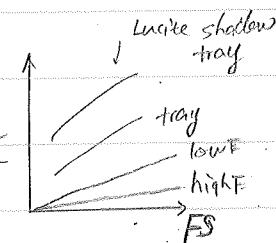
% skin dose

low E.
absorber in path.

- decreases with physical wedge in path (filtration effect)
(7-12% reduction compared with open field)

EDW surface dose 2% higher than open field.

- skin dose ↓ when SSD↑, especially for large FS.



• Penumbra.

physical: 20% v 80% IDL $\otimes d_{max}$ geometric
side scatter

$$P_{geo} = \frac{S \cdot (SSD + SCD)}{SSD}$$

$P_{geo} \uparrow$ with S↑, SSD↑, d↑

↓ with SCD↑, \leftarrow SRS circular cone.

independent of
filtering filter

$\Leftarrow P \uparrow$ with { S↑:
SSD↑
d↑ } geo.

	Orthovoltage	penumbra	side scatter
Co	sharp (S small)		
wide (S large)		significant	
4MV	moderate		some side scatter
10MV	moderate		slightly less

For e⁻ beam
Penumbra ↓ with F↑. \leftrightarrow

4-6MV. Penumbra
is sharper

• output factor ↑ with FS.

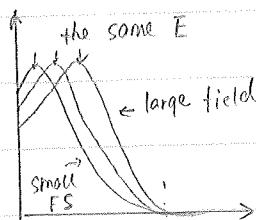
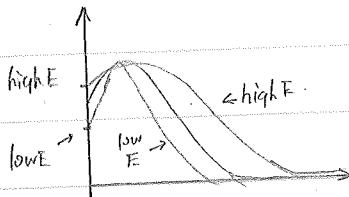
• dose due to scattering is greater for { low E
deeper depth }

Inhomogeneity correction is more for { low E
more thickness
of IM. (lung=bone) }

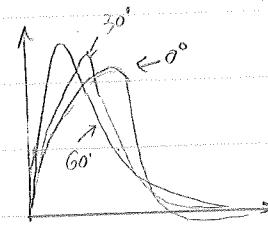
if FS > min lat scatter equiv.
change FS. \Rightarrow the same PDD.
but different output.

Electron:

• PDD.



\uparrow % skin dose not changed



$R_{80}, R_{90} \downarrow$ with FS \downarrow
(more significant for high E)
because of Lateral scatter
equilibrium)

oblique field;

$d_{max} \downarrow D_{dmax} \uparrow$

PDD shift upstream.

(penetration \uparrow)

surface dose $D_s \uparrow$ with FS \downarrow ! $R_p \uparrow$

R_p remains the same (bremsstrahlung same)

output \downarrow flatness \downarrow

- $E_z = E_0 \left(1 - \frac{z}{R_p} \right)$

if R_p not given,

$$R_p = \frac{1}{2} \cdot E_0$$

- with SSD \uparrow . 90% IDL extended more
penumbra \uparrow \Rightarrow can be restored by skin collimator
output \downarrow but doesn't follow TVS

$$\begin{cases} E_0 = 3.2 R_{90} \\ E_0 = 2.8 R_{80} \\ E_0 = 2.33 R_{50} \Rightarrow R_{50} = 1.029 I_{50} \\ E_0 = 2 R_p \\ (R_{50} > I_{50}) \end{cases}$$

POD, E not changed.

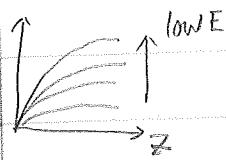
• X-ray contamination

6MeV	0.5%
9MeV	1%
12MeV	1-2%
16MeV	4%
20MeV	5%

• Virtual Source

$$\sqrt{\frac{I_o}{I_g}} = \frac{f + d_{mtg}}{f + dm}$$

• e⁻ back scatter



• Inhomogeneity

$t = 1.65$ for bone

$t = 0.25$ for lung

$$d_{eff} = d - z(1 - CET)$$

• mini field size for Lat. Scatter equiv

$$\phi = R_p = \frac{m\%}{2}$$

$$\text{or } r > 0.88 \sqrt{(E_p)_0}$$

• penumbra \uparrow with SSD, surface to cone distance \uparrow

with $E(\%) \downarrow$

with depth $d \uparrow$.

TG-40 / NRC

- overall uncertainty for external beam: $\pm 5\%$ dosimetric uncertainty
 $\pm 5\text{ mm}$ geometric (spatial) uncertainty
- for intracavitary plaque brachy: $\pm 15\%$ in delivery of prescribed dose.

- Electron energy specification:

R_{50} used in TG51
depth of PDD (2mm @ therapeutic depth) in TG-40.

should be checked twice a week!

- Daily QA tolerance: 3%-5% report to physicist 5% superv patient tx.

every thing
2% 2mm
except
flatness (E_i, θ) 3%
mass e^- 3%
MU charbel linearity 1%
daily output 3%

- wedge interlock check weekly monthly

- Flatness constancy: { Photon $\begin{cases} 2\% \\ 3\% \end{cases}$ Symmetry constancy: { photon $\begin{cases} 3\% \\ 3\% \end{cases}$
electron $\begin{cases} 3\% \\ 3\% \end{cases}$
- 10% brachy seeds or at least 2 ribbons need to be surveyed \Rightarrow { > 3% investigate
> 5% report to vendor

- sealed source inventory: HDR shielding survey: quarterly after source change
initially and every 5 years

(also check head leakage
 $< 0.25\text{mR/hr}$ @ 1m)

- semi-annual for stored source
leakage test: (5nCi)
(every 6 months for sealed/brachy sources)
in use

- Ion chamber/local standard field instrument

- { leakage; collecting potential \Rightarrow Each use
(0.1%)
- Redundancy check \Rightarrow Each
(2%)
- { Linearity \Rightarrow 2y
(0.5%)
- APCL \Rightarrow 2y
- Venting \Rightarrow 2y
- Stem effect \Rightarrow I
(0.5%)
- Recombination \Rightarrow I

Well ion chamber

- { leakage \Rightarrow Each use.
redundancy check \Rightarrow each
(2%)

linearity \Rightarrow 2y
(1%)

APCL \Rightarrow I.S.
venting.

I
collection efficiency (1%)
Geometric/length dependency
energy dependency
precision (2%)
Source well dependency

TG-40/NRC

- barometer calibration

3m
Init
Init

1mm/Hg

- thermometer calib

0.1 deg/c

- linear rule

0.3%

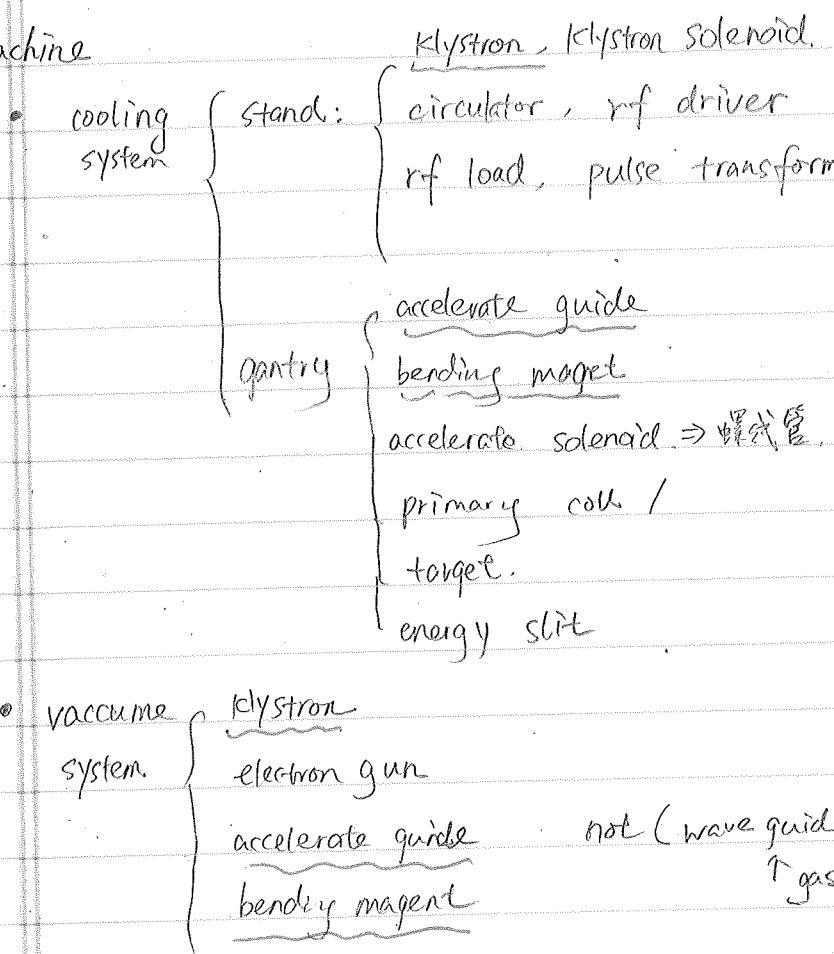
- patient can be released if

radiopharmacy { measured D(0)1m < 5mrem/hr
activity remains in pt < 30 uCi (?)

brachy { measured D(0)1m < 5mrem/hr
all temp sources removed

- TG-40 No weekly QA except ^{60}Co → check source position (3mm)

Machine



- e^- emitted from cathode in electron gun in Linac.
(Not Anode)

- Thyatron fires \Rightarrow electron. will be pulsed.
RF (microwave generator)

- Dual scattering foils in E beam \Rightarrow improve flatness for $E > 15 \text{ MeV}$

{ first high Z foil \rightarrow scatter e^-
second low Z foil \rightarrow function like field flattening filter
↳ high Z in the middle thicker portion

For low E e^- beam, only the first foil is enough. So dual scattering foils are not always in beam in electron mode.

- which of following can be replaced without re-scan/calibrate all beams?
Klystron \rightarrow only E change \rightarrow pD may change.
RF

Radiobiology:

$$RBE = \frac{\text{dose of } 250\text{ kV}}{\text{dose of radiation of interest}}$$

$RBE \uparrow$ with LET \uparrow . (\propto , β , heavy charged particles)

↳ high LET $> 30 \text{ keV/um}$

low LET $< 2 \text{ keV/um}$

\Rightarrow clinical e^- beam: $0.2 \text{ to } 0.3 \text{ keV/um}$

$$ORE = \frac{\text{dose without O}_2}{\text{dose with O}_2}$$

$$\left\{ \begin{array}{l} \text{x, }\gamma\text{-ray: } 2-3.5 \\ \text{neutron: } 1.5 \\ \alpha: 1 \end{array} \right. \quad \left\{ \begin{array}{l} ORE \text{ the smaller, the better} \\ RBE \text{ the bigger, the better} \end{array} \right.$$

$4R$ \int repopulation
repair
reoxygenation
reassortment

$$S = e^{-(\alpha D + \beta D^2)}$$

$$BED = nD \left(1 + \frac{d}{\alpha/\beta} \right)$$

Rule of thumb

- β^- particle range: \Rightarrow to shield β^- source

$$\text{Avg } E = \frac{1}{3} E_{\max} (\beta^-)$$

use low Z material

high Z \Rightarrow bremsstrahlung

$$\text{Avg } E = 0.44 E_{\max} (\beta^+)$$

$$\text{range in air} = E_{\max} (\text{MeV}) \cdot (3.66 \text{ m/MeV})$$

$$\text{range in medium } R' (\text{g/cm}^2) = E_{\max} / 2. (\text{meV})$$

$$d(\text{cm}) \cdot \rho (\text{g/cm}^3) = E_{\max} / 2$$

$$\Rightarrow d(\text{cm}) \cdot 1 \text{ g/cm}^3 = 1 \text{ MeV}/2 \Rightarrow d = 0.5 \text{ cm. in water}$$

$$^{90}\text{Sr} \Rightarrow 0.5 \text{ MeV } \beta^- \Rightarrow 0.5 \times 3.66 = 1.83 \text{ m range in air}$$

$$^{90}\text{Tc} \Rightarrow 2.4 \text{ MeV } \beta^- \Rightarrow 2.4 \times 3.66 = 8.78 \text{ m range in air}$$

- Dose to contralateral breast: { Lat field: scattering

5% total, each field 2.5% { med field: wedge (dyn wedge \Rightarrow ↓ dose)

$$5000 \text{ cGy} \Rightarrow 250 \text{ cGy to contralat}$$

- Dose rate in brachy

$$\text{Pt A } \dot{D} \approx 50-60 \text{ cGy/hr} \quad \text{Pt B } \dot{D} = \frac{1}{3} \text{ Pt A dose rate}$$

$$^{125}\text{I} \text{ prostate } \dot{D} \approx 5-10 \text{ cGy/hr}$$

$$\text{LDR } \dot{D} \approx 2 \text{ Gy/hr}$$

$$^{103}\text{Pd} \dots \approx 20-30 \text{ cGy/hr.}$$

$$\text{MDR } \dot{D} \approx 12 \text{ Gy/hr}$$

$$\text{Vascular brachy; } 15-20 \text{ Gy}$$

$$\text{HDR } \dot{D} > 12 \text{ Gy/hr}$$

$$(IVBT) \quad \dot{D} = 5 \text{ Gy/min}$$

2mm prescription point

- Inhomogeneity correction:

	lung	bone
^{60}Co	4% /cm	-3.5%
4MV	<u>3% /cm</u>	-3%
6MV	<u>2.5% /cm</u>	-2.5%
10MV	<u>2% /cm</u>	-2%
25MV	<u>1% /cm</u>	

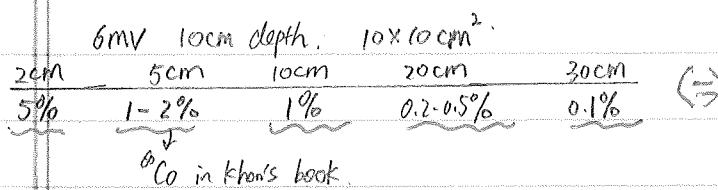
TMR change (attenuation per cm)

6MV	<u>3.5% /cm</u>
10MV	<u>2.5% /cm</u>
18MV	<u>2% /cm</u>

Important PDD TMR values	$\text{Co : } \frac{4\%}{\text{cm}}$ $3.5\%/\text{cm}$ $2.5\%/\text{cm}$ $2\%/\text{cm}$			$\text{PDD change per cm will be greater than this}$	
	↔				
	$d=10$				
	$d=15-16$				

	$d=10$	$d=15-16$	$d=20-21$	TIP:
6MV	$\text{PDD}(d=10) = 67\%$ $\text{TMR}(10 \times 10, d=10) = 0.78$	$\text{PDD} \% = 50\%$		When estimate dose change due to patient thickness change.
16MV	$\text{PDD}(d=10) = 77\%$ $\text{TMR}(10 \times 10, d=10) = 0.875$		$\text{PDD}(d=20-21) = 50\%$	① For SAD → use TMR estimate ② For PDD → use PDD (more correct)

Dose outside field:



TG-36 Table III. Pregnant with Hodgkin's disease

6MV 38Gy to tumor / 40Gy Ant plus 13Gy post.

	Top of fetus 15.5cm	mid fetus 28.5	pubic 41.5
close (cm)	42	14	6
%	1%	0.4%	0.15%

20+80.Gy according to Raphex.

photon interaction E

E (MeV)	PE (%)	Compton (Δ)	pair (γ)
0.01	95	5	0
0.026	50	50	0
0.150	0	100	0
24	0	50	50

CSI beam match

	Prone			Supine		
	RL	LL	PA	RL	LL	PA
Y ₁	Y _{1b}	Y _{1b}	-	Y _{1b}	Y _{1b}	-
Y ₂	-	-	-	Y _{2S}	-	-
G	90°	270°	0°	270	90	180°
Coll	$\alpha = \tan^{-1}(\frac{Y_2}{100})$	$360^\circ - \theta$	0°	0	$360^\circ - \theta$	0
Couch	$360^\circ - \alpha$	$\alpha = \tan^{-1}(\frac{Y_{1b}}{100})$	0°	α	$360^\circ - \alpha$	0

$$\alpha = 270 \quad G = 90$$

Tan/Lat field match for breast:

$$(a) \quad RPO = LAO + 180^\circ - 2\beta$$

$$LPO = RAO - 180^\circ + 2\beta$$

$$\beta = \tan^{-1}(\frac{F/2}{100})$$

$$(\alpha + 180^\circ)$$

$$RPO$$

$$LAO$$

$$PPO = \alpha + 180^\circ - 2\beta$$

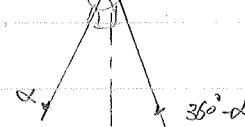
$$PPO$$

$$RAO$$

$$360^\circ - \alpha$$

$$IPO$$

$$LPO$$



$$LPO + [(360^\circ - \alpha) - 2\beta] = 180^\circ$$

$$LPO = \alpha + 2\beta - 180^\circ$$

$$\downarrow$$

$$RAO$$

- pressure change with h

$$P = P_0 \cdot e^{-\frac{0.0342}{T} \cdot \Delta h} = P_0 \cdot e^{-\frac{0.0342}{273.2+T} \cdot \Delta h}$$

- SRS measurement, resolution

$\left\{ \begin{array}{l} \text{Linac} \Rightarrow 2\text{mm for profile; } 3\text{mm for output/IMR.} \\ \text{Gammaknife} \Rightarrow 1\text{mm} \end{array} \right.$

- machine time error (T)

$$D_I = \dot{D}(T+T) \Rightarrow \dot{D} = \frac{D_I}{(T+T)} = \frac{D_I}{T+nT} \Rightarrow T = \frac{(D_I - D_n) \cdot T}{nD_I - D_n}$$

$$D_n = \dot{D}(T+n \cdot T)$$

To satisfy $\{\Delta\% = (D_I - \dot{D}T)/\dot{D}T\} < \gamma\%$

$$\dot{D}T/\dot{D}T < \gamma\%$$

$$T/T < \gamma\%$$

$$\Rightarrow T > \frac{\gamma}{100} \cdot \dot{D} \quad D > \frac{\gamma}{100} \cdot \dot{D}$$

- IVRT (intra-vascular) extrapolation ion chamber film \rightarrow dose distribution

calibration $\Rightarrow \beta^-$ source { in water (solid water) $r=2\text{mm}$, $\theta=\frac{\pi}{2}$.

γ source \Rightarrow re-entrant chamber
free-air ion chamber

Target volume: 2-5 cm length

0.5-2 mm in thickness

β^- source \rightarrow higher specific activity $\Rightarrow {}^{32}\text{P}, {}^{90}\text{Sr}/{}^{90}\text{Y}$ (activity)
higher dose rate \Rightarrow 2-3 min Tx time
longer Tx time

γ source \rightarrow more uniform dose $\Rightarrow {}^{192}\text{Ir}$ (1-4 Ci) \Rightarrow 20 min Tx time
better radial dose distribution

- Compton scatter:

$$hv' = hv_0 \cdot \frac{1}{1+\alpha(1-\cos\theta)}$$

$$E_e = hv_0 \cdot \frac{\alpha(1-\cos\theta)}{1+\alpha(1-\cos\theta)}$$

$$\alpha = \frac{hv_0}{0.511}$$

if $hv_0 = 6\text{MeV}$, E_{\max} when $\theta=180^\circ$; $hv'/\min = 0.255\text{ MeV}$.

$$E_{\max} = hv_0 \cdot \frac{\alpha \times 2}{1+2\alpha} = 5.755\text{ MeV}$$

$$\# \text{ of ion-pairs} = \frac{5.755\text{ MeV}}{33.97\text{ eV/ion}} = \dots$$

o POF (parallel Opposed Field) Khan Page 212.

to achieve $\pm 5\%$ uniformity

4 \times 6MV thickness $\leq 15\text{cm}$

10MV $\leq 20\text{cm}$

^{60}Co

$\leq 15\text{cm}$

to achieve $\pm 10\%$

4 \times 6MV thickness $\leq 20 - 22\text{cm}$

10MV $\leq 25 - 27$

^{60}Co

$\leq 17\text{cm}$

- o POF TX. if dose from each field change by $\% \text{, the total dose change by } \% \text{ not } (2 \times \%)$

o POF d_{\max} dose.

(D_{dm}/D_{mp})

anything \uparrow PDD will \downarrow the d_{\max} dose :
relative to d_{mp} .
(better homo.)

beam E. \uparrow

SSD \uparrow

FS \uparrow

thickness of patient \downarrow

SSD better than SAD

o Higher E in POF tx:

- $\uparrow d_{dm}$ dose
- \downarrow skin dose
- \downarrow dose in buildup region
- \downarrow dose in lung-tissue interface \leftarrow loss of lateral equilibrium
- improve homogeneity

o Inhomogeneity correction

- more for low E (because of more attenuation)
- more for lung
- for high E, less correction, but may underdose lung tissue interface

• Integral Dose

$$= \text{kg} \times \text{cGy} = J$$

as ET ↑ integral dose ↓

less beam → ↓

• Estimate TX dose changes:

① patient relative position change

use IVS correction:

Ex: ODI read 98cm instead of 100cm. (SSD)

$$\left\{ \begin{array}{l} D = (\text{MV.output}) \cdot \text{PDD}(f=98, d) \cdot \left(\frac{\text{SSD}}{98\text{cm}}\right)^2 = (\text{MV.output}) \cdot \text{PDD}(f=100, d) \left(\frac{\text{SSD}}{98\text{cm}}\right)^2 \cdot F \\ D_0 = (\text{MV.output}) \cdot \text{PDD}(f=100, d) \cdot \left(\frac{\text{SSD}}{100\text{cm}}\right)^2 \Rightarrow \frac{D}{D_0} = \left(\frac{100\text{cm}}{98\text{cm}}\right)^2 \cdot \left(\frac{98\text{cm}}{100\text{cm}}\right) \left(\frac{100+d}{98+d}\right)^2 \\ = \left(\frac{100+d}{98+d}\right)^2 \stackrel{d \ll 10}{\approx} 1.037 \end{array} \right.$$

Ex: Patient iso should be 100, but setup @ 98cm. (SAD)
(for example, laser shifted)

$$\begin{aligned} D_0 &= (\text{MV.output}) \cdot \text{TMR}(d=98, r_{\text{dx}}) \cdot \left(\frac{100}{100}\right)^2 \Rightarrow \frac{D}{D_0} = \frac{\text{TMR}(d=98, r_{\text{dx}})}{\text{TMR}(d=98, r_{\text{dx}})} \cdot \left(\frac{100}{98}\right)^2 \\ D &= (\text{MV.output}) \cdot \text{TMR}(d=98, r_{\text{dx}}) \cdot \left(\frac{100}{98}\right)^2 \\ &= 1.041 \end{aligned}$$

② patient thickness change.

Photon beam dose:

- the point where Kerma = dose.
- equal to the max range of secondary electrons
- the point of electronic equilibrium.

TG-51

phantom:

- [1] PID% scan ① SSD=100cm, $\Rightarrow \text{%odd}(10)_X$ from PDD shifted upstream 0.67 } $\Rightarrow K_2 = ?$
 > 10mv. Pb 1mm ② 50 ± 5 cm $\% \text{odd}(10)_{\text{Pb}} \rightarrow \text{calculate } \% \text{odd}(10)_X$
 ↓
 also shift upstream

$$[2] M = M_{\text{raw}} \cdot P_{\text{TP}} \cdot P_{\text{ion}} \cdot P_{\text{elec}} \cdot P_{\text{pol}}$$

$$\text{dref} \left\{ \begin{array}{l} \text{SAD}=100 \text{ d=10} \\ \text{or } \text{SSD}=100 \text{ d=10} \end{array} \right.$$

$$P_{\text{TP}} = \frac{273.2+T}{295.2} \cdot \frac{760}{P} \cdot \left(\frac{10/33}{P} \right) \quad P_{\text{ion}} = \frac{(1 - \frac{V^H}{V^L})}{(\frac{M^H}{m^L} - \frac{V^H}{V^L})} \quad P_{\text{pol}} = \frac{|M^+ - M^-|}{2M_{\text{raw}}}$$

$$[3] D_{\text{ref}} = M \cdot N_{\text{DW}}^{60} \cdot K_2$$

$$[4] D_{\text{cal}} = D_{\text{ref}} / \text{PDD}(d=10) \quad \text{if } \text{SSD}=100, \text{ dm} \rightarrow 1 \text{ Gy/mv.}$$

$$D_{\text{cal}} = D_{\text{ref}} / \text{TMR}(d=(0, 10 \times 10)) \quad \text{if } \text{SAD}=100, \text{ dm} \rightarrow 1 \text{ Gy/mv}$$

↓ if calib at d=10cm, calculate as d=d_m \Rightarrow overdose $/ \text{TMR}(d=10)$

if calib at d=d_m, calculate as d=10 \Rightarrow underdose.

Electron:

- [1] PID scan ① SSD=100cm $\Rightarrow I_{50}$ on upstream shifted PID (0.5r)

$$R_{50} = 1.029 \cdot I_{50} - 0.06 \text{ (cm)} \quad \Rightarrow \text{calculate } R_{50}' = 0.9105 + 0.07/r$$

$$[2] \text{dref} = 0.6 \times R_{50} - 0.1 \text{ (cm)}$$

chamber model $\Rightarrow K_{\text{cal}} = ?$

$$[3] \text{SSD}=100 \text{ d=dref. } 15 \times 15 \text{ cone.}$$

$$M = M_{\text{raw}} \cdot P_{\text{TP}} \cdot P_{\text{ion}} \cdot P_{\text{elec}} \cdot P_{\text{pol}}$$

- [4] shift chamber by 0.5 r_{\text{av.}}

$$P_{\text{gr}} = \frac{M_{\text{raw}}(d_{\text{ref}} + 0.5r_{\text{av}})}{M_{\text{raw}}(d_{\text{ref}})}$$

P.P. 1 chamber

$$[5] D_{\text{ref}} = M \cdot P_{\text{gr}} \cdot K_{R50}' \cdot K_{\text{cal}} \cdot N_{\text{DW}}^{60}$$

$$\downarrow K_{R50}$$

$$D_{\text{ref}} = M \cdot K_{R50}' \cdot K_{\text{cal}} \cdot N_{\text{DW}}^{60}$$

from cross-calib

$$[6] D_{\text{cal}} = D_{\text{ref}} / \text{PDD}(d=d_{\text{ref}}) \quad \Rightarrow \quad \text{SSD}=100, \text{ d=d_m, } 1 \text{ Gy/mv}$$

Dose limits:

A. Occupational

1. TEDE

50mSv/yr

Shielding

0.1mSv/wk

2. DE for tissue & organs

lens of eye

150mSv/yr

All others

500mSv/yr

3. Guidance - cumulative.

10mSv x age

B. public

1. TEDE continuous

1mSv/yr

0.02mSv/wk
<0.02mSv any one hour

infrequent.

5mSv/yr

2. Dose equiv to

lens, skin, extremities

50mSv/yr, lens 15mSv/yr

C. Educational & training

1 TEDE

1mSv/yr

2. dose equiv to lens/skin/extremities.

50mSv/yr

D. Embryo - fetus

1. TEDE

5mSv/yr

2. Dose limit in a month:

0.5mSv/month

Radiation Signs:

Cause Rad Area	<u>5 mRem in a hr @ 30cm</u>	\Rightarrow Gamma knife.	0.05mSV
High Rad Area	<u>100 mRem in a hr @ 30cm.</u>	\Rightarrow HDR, ^{60}Co	1mSV
Very High Rad Area	<u>500 rads in a hr @ 1m.</u>		5SV
Airborne Rad.	Air concentration exceeding DAC		
Radioactive material use or storage of 10 times the quantity			\Rightarrow HDR, ^{60}Co , T-knife, hot lab
in Appendix C.			

Transportation labels:

Transport Index (TI): dimensionless number (round up to the next tenth)

$$= [\max \text{ radiation (mSv/hr)} @ 1\text{m from ext surface}] \times 100$$

$$= \max \text{ radiation (mRem/hr)} @ \text{1m from ext surface}$$

TI	max rad level at any point on ext. surface	Label	convert to 1m by IRS ($\frac{1}{100}^2$)
$< 0.05 \text{ mrem} \Rightarrow 0$	<u>$\leq 0.5 \text{ mrem/hr}$</u> 0.005 mSv/hr	white	
$< 1 \text{ mrem} \Leftarrow 0 \text{ or } 1$	<u>$\leq 50 \text{ mrem/hr}$</u> 0.5 mSv/hr	yellow - I.	
$< 10 \text{ mrem} \Leftarrow 2 \text{ or } 10$	<u>$\leq 200 \text{ mrem/hr}$</u> 2 mSv/hr	yellow - II	
	<u>$\leq 1000 \text{ mrem/hr}$</u> 10 mSv/hr	yellow - III	

↓

compared with 2 mRem/hr

{ The container must be D.O.T. approved.

{ TI must be measured, written on label.

{ The activity & radionuclide must be stated on label